ERRATA TO "HOLOMORPHIC MORSE INEQUALITIES AND BERGMAN KERNELS"

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page 48, equation (1.5.31), instead of R^F read R^E.

page 132, line 5, instead of $L_{0,q-1}(X,E)$ read $L^2_{0,q-1}(X,E)$,
instead of $L_{0,q}(X,E)$ read $L^2_{0,q}(X,E)$.

page 132, line -3, instead of **finite dimensional** read **a finite dimensional subspace of $\Omega^{0,q}(X,E)$**.

page 209, Problem 4.8, instead of **still hold** read **still hold on an appropriate open set of X**.

page 228, line -4, instead of **unique** read **unique (up to a positive constant)**.

page 237, line -5, instead of $(X,\mathcal{V})$ read **the Riemannian orbifold $(X,\mathcal{V})$**.

page 285, Theorem 6.3.16, instead of $S\subset\mathbb{C}^m$ read S.

page 286, line -1, instead of $S\subset\mathbb{C}^m$ read S.

page 301, equation (7.2.19), instead of $p^{-\alpha/2}$ read $p^{-|\alpha|/2}$.

page 306, equation (7.3.23), instead of $p^{-1/2}$ read p^{-1}.

page 308, equation (7.3.40), instead of

$$\frac{1}{\sqrt{p}}P_p\left(\nabla^{L^p\otimes E}_{\eta(d(x,y))(\frac{\partial}{\partial z_j}+\frac{\partial}{\partial\overline{z}_j})_x}T_p\right)P_p\,.$$

read

$$\frac{1}{\sqrt{p}}P_p\left(\nabla^{L^p\otimes E}_X T_p\right)P_p\,,\ \text{with } X\in\mathscr{C}^\infty(X,TX),\ X(x_0)=\frac{\partial}{\partial z_j}+\frac{\partial}{\partial\overline{z}_j}.$$

page 308, instead of **an even degree polynomial** read **a polynomial**.

page 309, equation (7.3.50), instead of $p^{i/2}$ read $p^{(i-1)/2}$.

page 309, line 1 after equation (7.3.50), instead of **odd polynomials $\widetilde{R}_{r,x_0}\in\mathbb{C}[Z,Z']$** read **polynomials $\widetilde{R}_{r,x_0}\in\mathbb{C}[Z,Z']$ of the same parity as r**.

page 312, line -5, instead of **Theorem 7.4.2 also holds for $f\in\mathscr{C}^\infty_{\mathrm{const}}(X)$** read **Theorem 7.4.2 also holds for $f\in\mathscr{C}^\infty_{\mathrm{const}}(X,\mathrm{End}(E))$**.

page 353, Theorem B.1.6, instead of **X be a complex space** read **X be a normal complex space**.

page 370, Theorem B.5.1, instead of $H^{2\bullet}_{\mathrm{dR}}(X,\mathbb{C})$ read $H^{2\bullet}(X,\mathbb{C})$.

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